



Statistical Methodology  
and Consulting,  
Clinical Development &  
Analytics

# Use of historical data

Methods, applications and implementation  
with the R package RBeST

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# Outline - Methods

- Evidence synthesis and prediction
- Use of historical controls
- Extrapolation from adults to children
- Robustness
- Probability of Success
- Conclusions

# Evidence synthesis and prediction

## *Introduction*

- Evidence synthesis and prediction/extrapolation

### *From source to target*

- From historical control to concurrent control
- From historical adult trials to trial in children
- From historical trials on one drug to trial in a similar drug

...

- Historical clinical trials as main source of information
- Hierarchical models very natural for *evidence synthesis and prediction*

# Evidence synthesis and prediction

## *Bayesian approaches*

### Regulators open to Bayesian approaches in some areas

EMA (2012)      Concept paper on extrapolation of efficacy and safety in medicine development (draft).

*Some efficacy data are considered necessary in the target population the nature of which depending on the degree of extrapolation from the source population. Such a scenario could be supported by **'Bayesian' statistical approaches using prior information from the source population(s)**.*

EMA (2016)      Reflection paper on extrapolation of efficacy and safety in paediatric medicine development (draft).

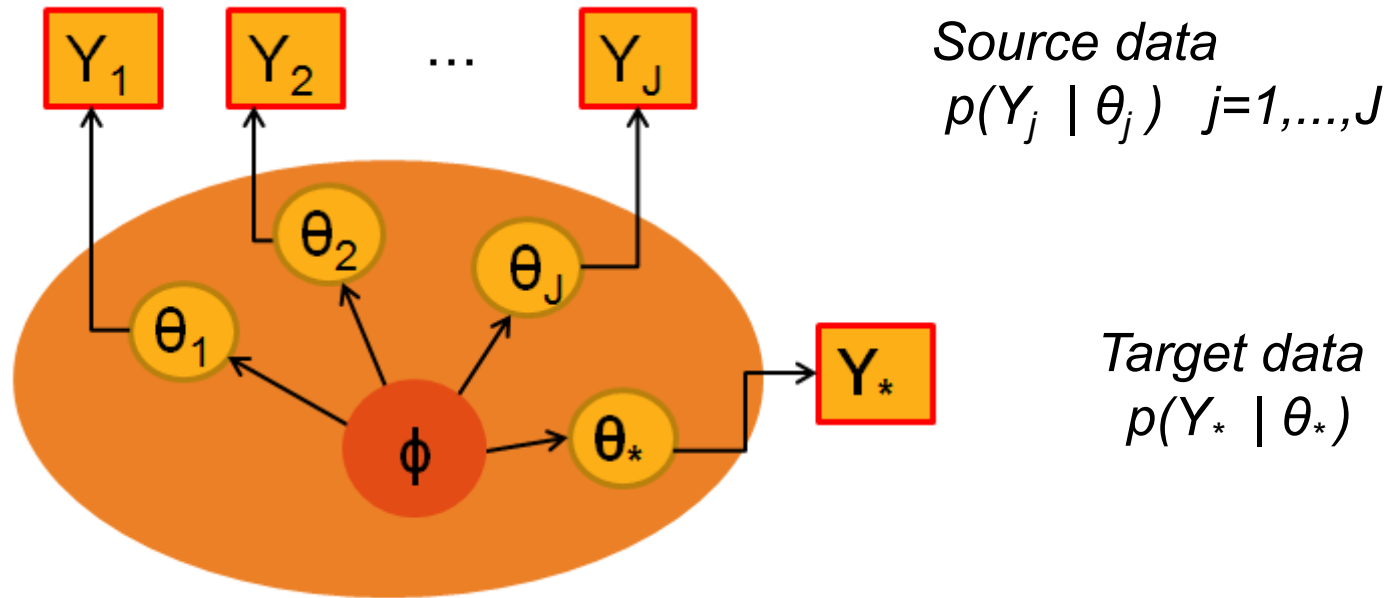
*... using **Bayesian methods** to either summarise the prior information for the extrapolation concept, or **to explicitly borrow information (from adult trials, from control groups, from other paediatric clinical trials)**.*

FDA (2016)      Leveraging existing clinical data for extrapolation to pediatric uses of medical devices.

*While **Bayesian methods** are described in this document, non-Bayesian methods can also be used for borrowing strength.*

# Evidence synthesis and prediction

Framework



*Hierarchical model to link parameters (hyper-parameter  $\phi$ )*

$$p(\theta_*, \theta_1, \dots, \theta_J | \phi)$$

Bayesian inference on unknowns  $\theta_*$   $(\theta_1, \dots, \theta_J, \phi)$

# Use of historical controls

## *Case study*

- *Disease*  
Ankylosing spondylitis
- *Test treatment*  
Secukinumab (monoclonal antibody)
- *Endpoint*  
Binary: response at week 6
- *Traditional clinical trial design*
  - Secukinumab (n=24) vs. Placebo (n=24)
  - Fisher's exact test

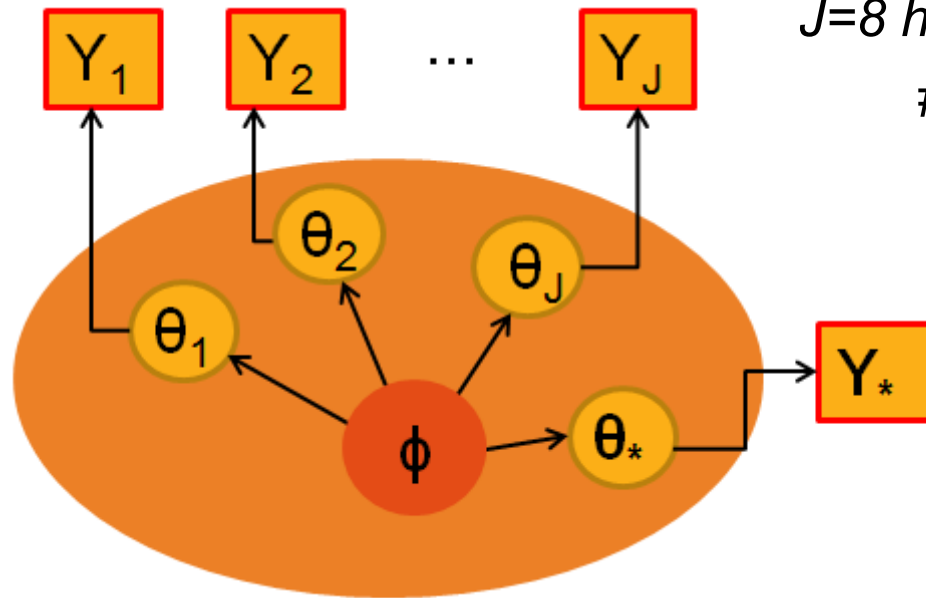


However: 8 similar historical placebo-controlled clinical trials with different test treatments

*Could this historical placebo information be used?*

# Use of historical controls

## Case study



*J=8 historical placebo-controlled trials*

*# responders on placebo*

$$Y_j \sim \text{Binomial}(\pi_j, n_j)$$

$$\theta_j = \text{logit}(\pi_j)$$

*Planned clinical trial*

*# responders on placebo*

$$Y_* \sim \text{Binomial}(\pi_*, n_*)$$

$$\theta_* = \text{logit}(\pi_*)$$

*Simplest hierarchical model to link parameters*

$$\theta_*, \theta_1, \dots, \theta_J \mid \mu, \tau \sim N(\mu, \tau^2)$$

**Meta-Analytic-Predictive (MAP)**

Spiegelhalter et al. (2004)

Neuenschwander et al. (2010)

Schmidli et al. (2014)

*Mean  $\mu$*

*Between-trial standard deviation  $\tau$*

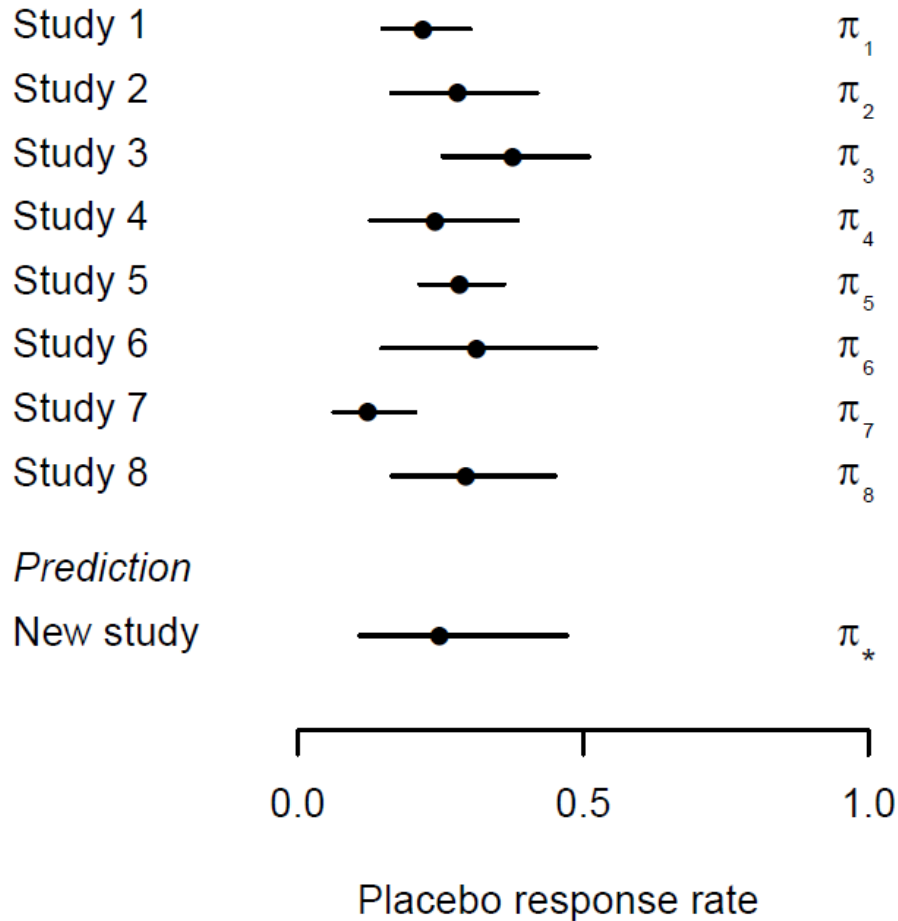
*Hyper-parameter  $\phi = (\mu, \tau)$*



# Use of historical controls

## Case study

Historical studies **Placebo group**



Meta-analytic-predictive (MAP)

$$\theta_j = \text{logit}(\pi_j)$$

$$\theta_* = \text{logit}(\pi_*)$$

$$\theta_*, \theta_1, \dots, \theta_J \mid \mu, \tau \sim N(\mu, \tau^2)$$

Prior information for Placebo in new study

# Use of historical controls

## *Case study*

### Bayesian primary analysis

- *Prior Placebo*                      Derived from 8 historical trials (N=533), using a Meta-Analytic-Predictive (MAP) approach  
Beta(11,32)    worth 43=11+32 patients
- *Prior Test Treatment*    Weakly informative  
Beta(0.5,1)    worth 1.5=0.5+1 patients

### Design:

Secukinumab (n=24) vs. Placebo (n=6)

### Results:

14/23 Secukinumab vs. 1/6 Placebo,  $p(\delta > 0 \mid \text{data}) > 99.8\%$

Baeten et al. (2013) *Lancet*

# Use of historical controls

## *Summary*

- **Benefits**

Allows to reduce number of placebo patients in new trial

- Decreases cost
  - Shortens trial duration
  - Facilitates recruitment
  - May be more ethical in some situations
- } Faster decisions

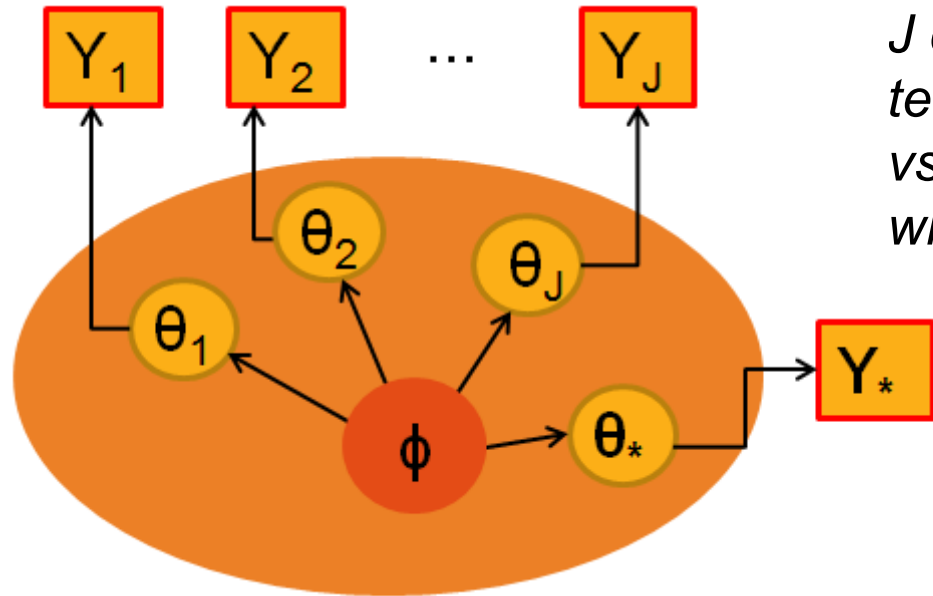
- **Risks**

- Prior-data conflict
- Excessive type I error inflation

Mitigated by using robust priors, adaptive designs

# Extrapolation from adults to children

*Example for evidence synthesis and extrapolation*



*J clinical trials in **adults** of test treatment vs control, with treatment effect  $\theta_j$*

*Clinical trial in **children** of test treatment (children version) vs control, with treatment effect  $\theta_*$*

*Models to link parameters*

■ Full extrapolation:  $p(\theta_* | Y_1, \dots, Y_J)$

$$\theta_*, \theta_1, \dots, \theta_J | \mu, \tau \sim N(\mu, \tau^2)$$

■ Partial extrapolation:  $p(\theta_* | Y_1, \dots, Y_J, Y_*)$

?

■ No extrapolation:  $p(\theta_* | Y_*)$

$$\theta_* | \mu_*, \tau_* \sim N(\mu_*, \tau_*^2)$$

# Extrapolation from adults to children

*Illustrative example - treatment of venous thromboembolic events (VTE)*

- Considered clinical trial in children
  - *Test*: low molecular weight heparin
  - *Control*: unfractionated heparin, followed by oral anticoagulation

Binary primary endpoint: recurrent VTE (3 months)

- 14 similar historical clinical trials in adults

Test vs Control, recurrent VTE (3 months) available

Erkens and Prins (2010) Cochrane Database of Systematic Reviews

- Similar efficacy in children and adults seems plausible

- Individualized dosing based on biomarkers and body weight
- Same mode of action

Full extrapolation?

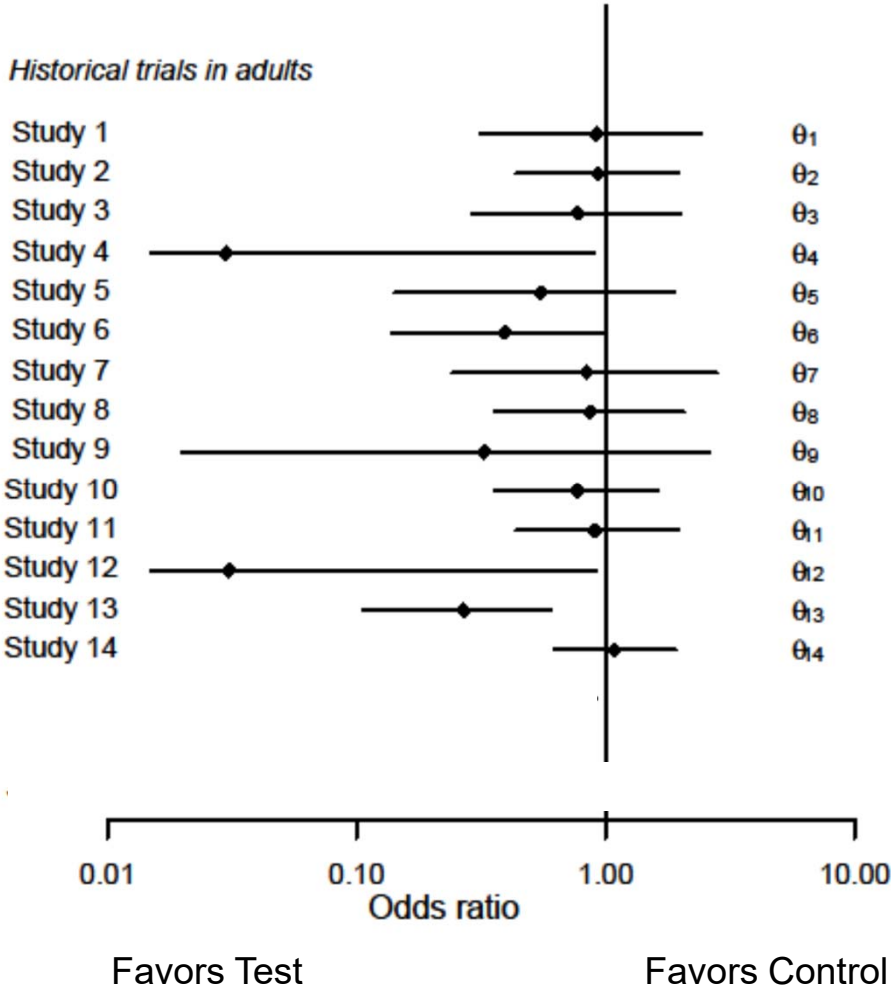
Comparable setting discussed by Gerß et al. (2012)

# Extrapolation from adults to children

## Treatment of venous thromboembolic events (VTE)

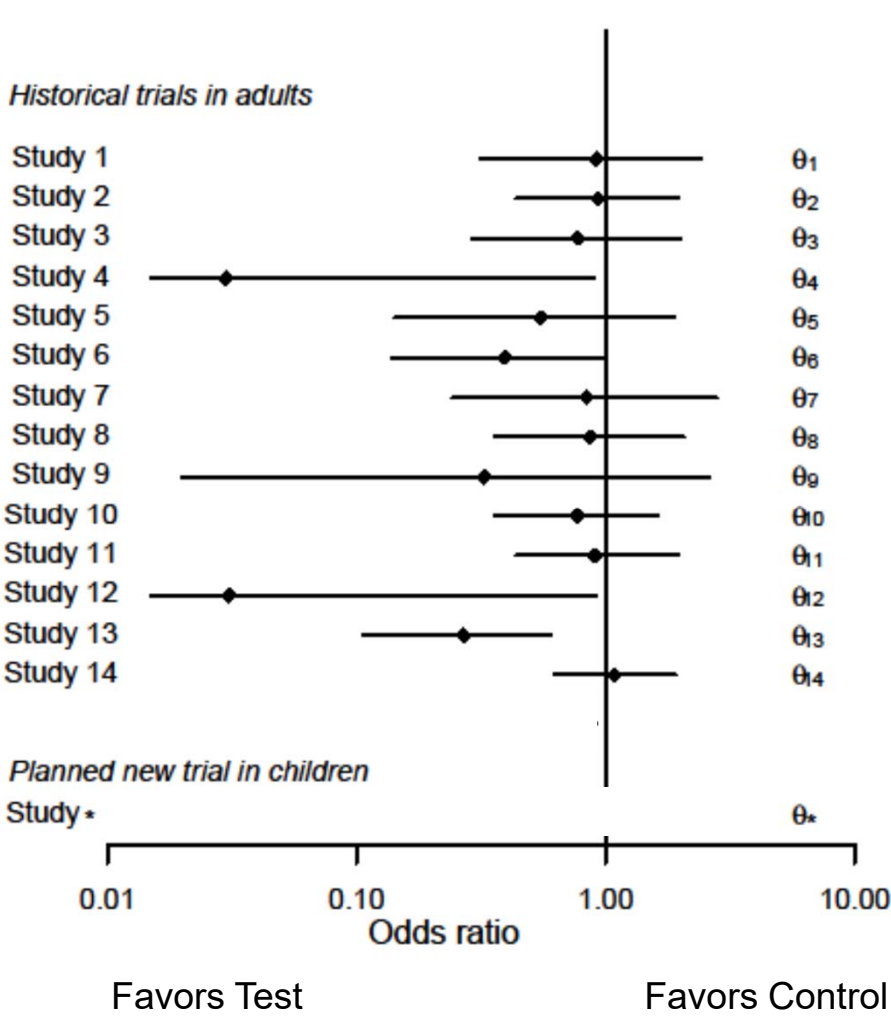
Recurrent VTE (3 months)

Test vs Control:  
Log(odds ratio)  $\theta_j$



# Extrapolation from adults to children

Treatment of venous thromboembolic events (VTE)



Recurrent VTE (3 months)

Test vs Control:  
Log(odds ratio)  $\theta_j$

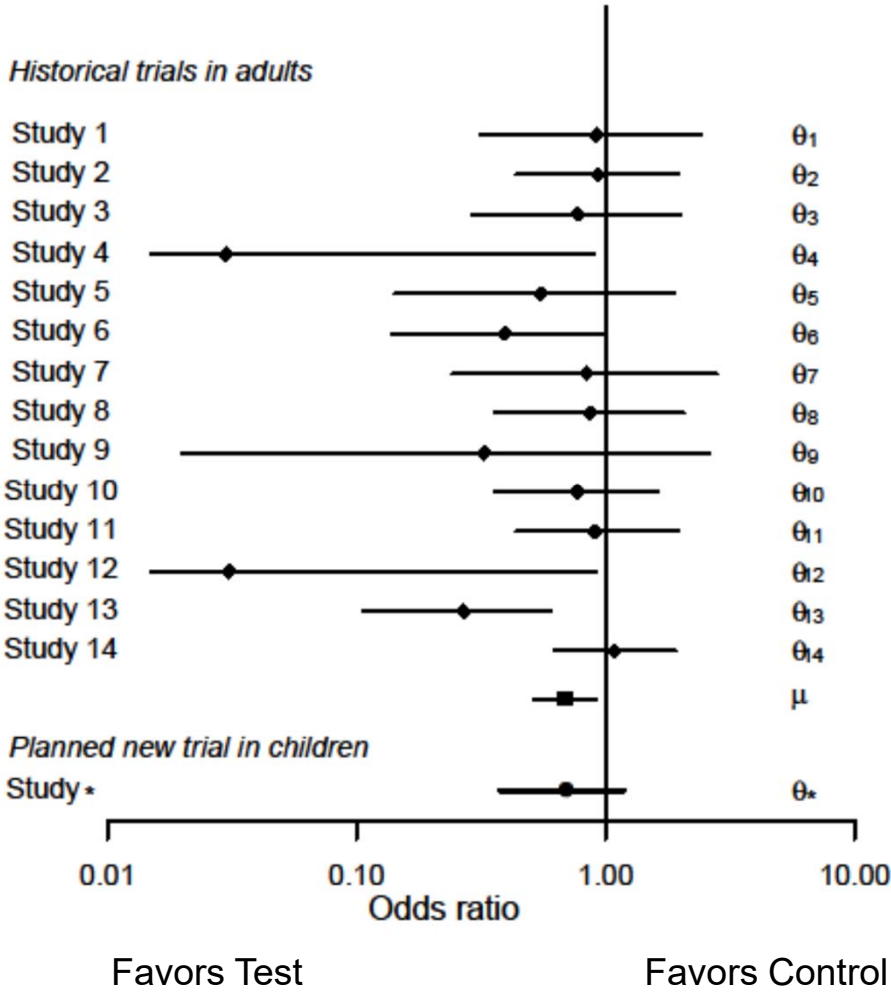
Meta-Analytic-Predictive (MAP) model

$$\theta_*, \theta_1, \dots, \theta_J \mid \mu, \tau \sim N(\mu, \tau^2)$$



# Extrapolation from adults to children

Treatment of venous thromboembolic events (VTE)



Recurrent VTE (3 months)

Test vs Control:  
Log(odds ratio)  $\theta_j$

Meta-Analytic-Predictive (MAP) model

$$\theta_*, \theta_1, \dots, \theta_J \mid \mu, \tau \sim N(\mu, \tau^2)$$

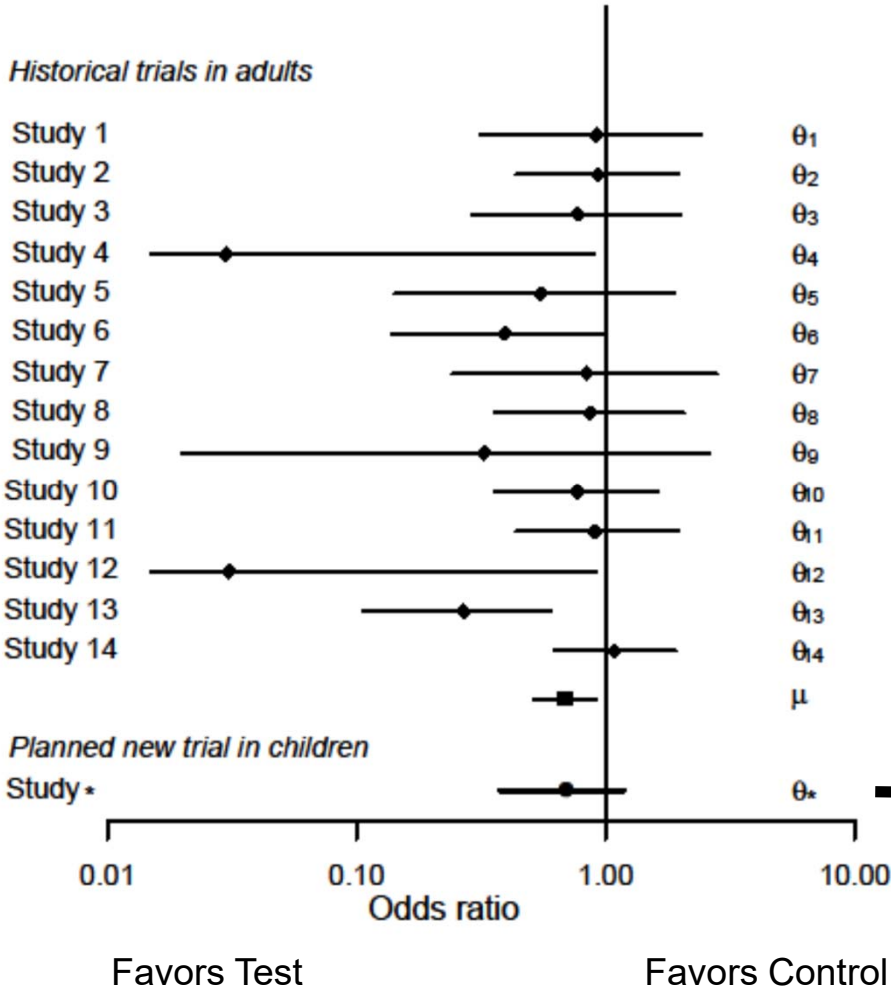
MAP prior  $p_{MAP}(\theta_*) = p(\theta_* \mid Y_1, \dots, Y_J)$





# Extrapolation from adults to children

*Treatment of venous thromboembolic events (VTE)*

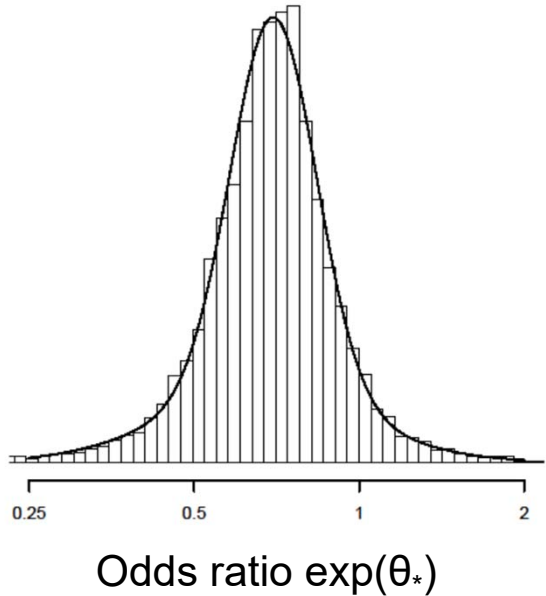


MAP prior

$$p_{\text{MAP}}(\theta_*) = p(\theta_* | Y_1, \dots, Y_J)$$

Approximated by mixture of normal distributions (solid line)

$$0.71 N(-0.36, 0.18^2) + 0.29 N(-0.41, 0.42^2)$$



# Extrapolation from adults to children

*Treatment of venous thromboembolic events (VTE)*

- MAP approach to extrapolate from adults to children

MAP prior  $p_{\text{MAP}}(\theta_*)$  derived from total of 6551 adults (14 studies)

- Trial in children

Recurrent VTE (3 months): *Test* 2/36 vs *Control* 4/40

Massicotte et al. (2003) planned N=352, actual N=78

- Extrapolation from adults to children

	Odds ratio $\exp(\theta_*)$ median (95% prob. interval)	Prob OR<1	Effective sample size (ESS)
Full	0.69 (0.37, 1.19)	94%	1030
Partial*	0.68 (0.38, 1.09)	96%	1199
No	0.48 (0.06, 2.84)	78%	78

\* Using  $\theta_*, \theta_1, \dots, \theta_J \mid \mu, \tau \sim N(\mu, \tau^2)$

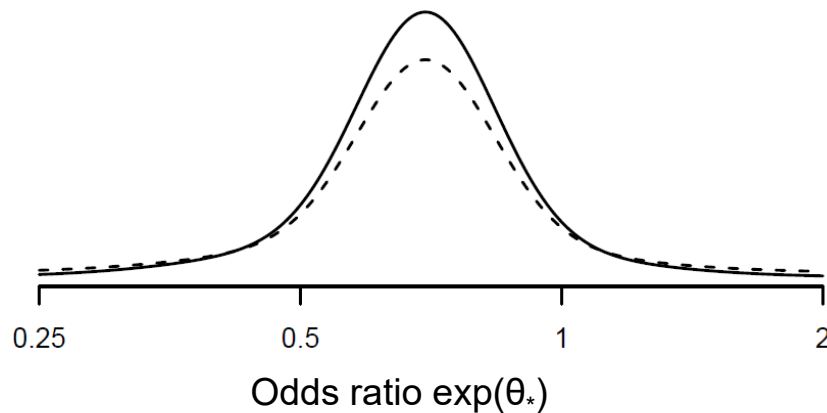
# Robustness

## Relevance of source data

- Prior  $p(\theta_*)$  derived from adults considered to be relevant for children, however...

*“... think it possible that you may be mistaken.” Cromwell*

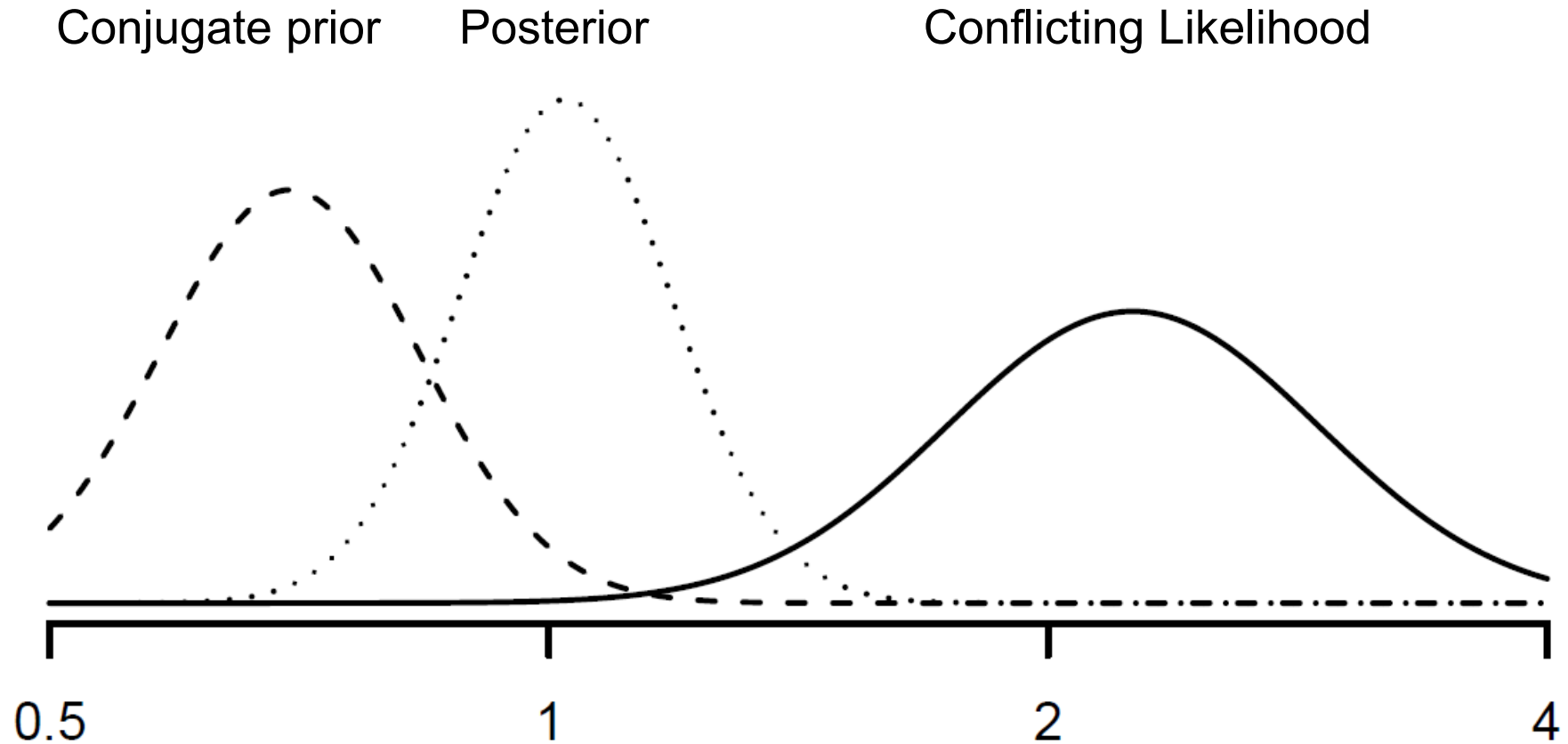
- Robust prior  $p_{\text{Robust}}(\theta_*) = (1-\epsilon) p_{\text{MAP}}(\theta_*) + \epsilon p_{\text{Vague}}(\theta_*)$ 
  - Mixture of prior derived from adults and vague prior
  - Value  $\epsilon$  chosen to reflect scepticism on relevance of adult data
  - Robust priors are heavy-tailed, and hence discarded in case of clear prior-data conflict O'Hagan and Pericchi (2012), Schmidli et al. (2014)



Solid line:  $p(\theta_*)$   
Dashed line:  $p_{\text{Robust}}(\theta_*)$  with  $\epsilon=0.2$

# Robustness

*Prior-data conflict - hypothetical*



*"Bayesian - One who, vaguely expecting a horse and catching a glimpse of a donkey, strongly concludes he has seen a mule".*

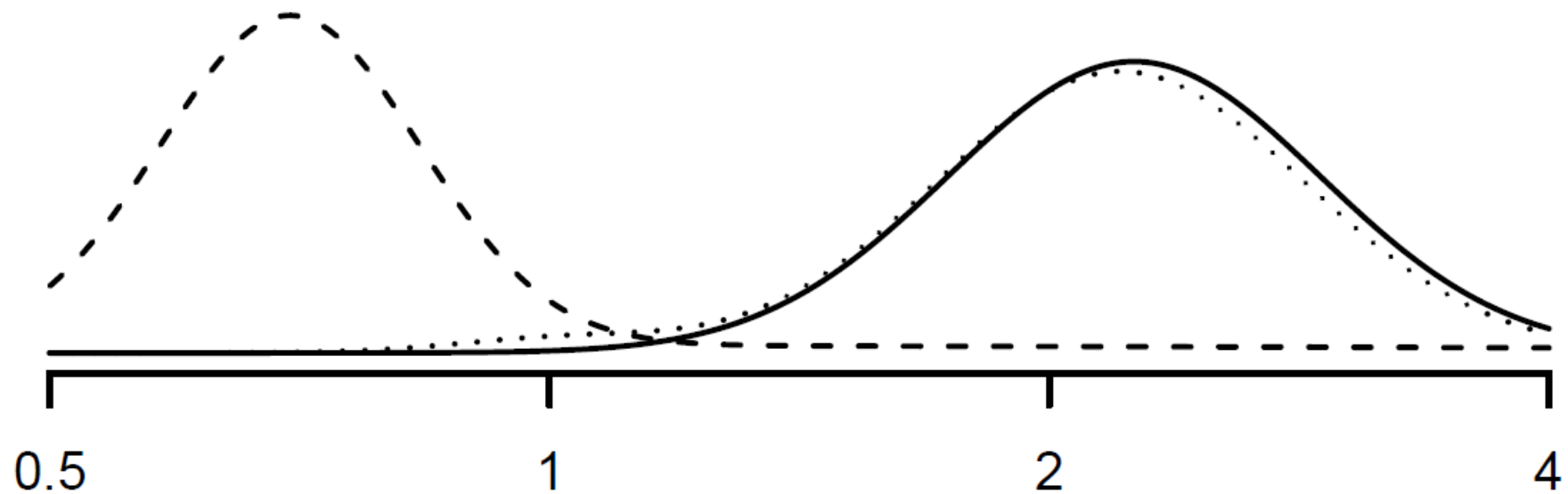
*Stephen Senn*

# Robustness

*Prior-data conflict - hypothetical*

Robust prior

Posterior / Conflicting Likelihood



*Robust prior essentially discarded in case of clear prior-data conflict*

# Extrapolation from adults to children

## Summary

- **Benefits**

Allows to reduce number of children in new trial

- More ethical in many situations
- Facilitates recruitment
- Shortens trial duration
- Decreases cost

} Faster decisions

- **Risks**

- Prior-data conflict
- Excessive type I error inflation

Mitigated by using robust priors, adaptive designs

# Probability of Success

## *Introduction*

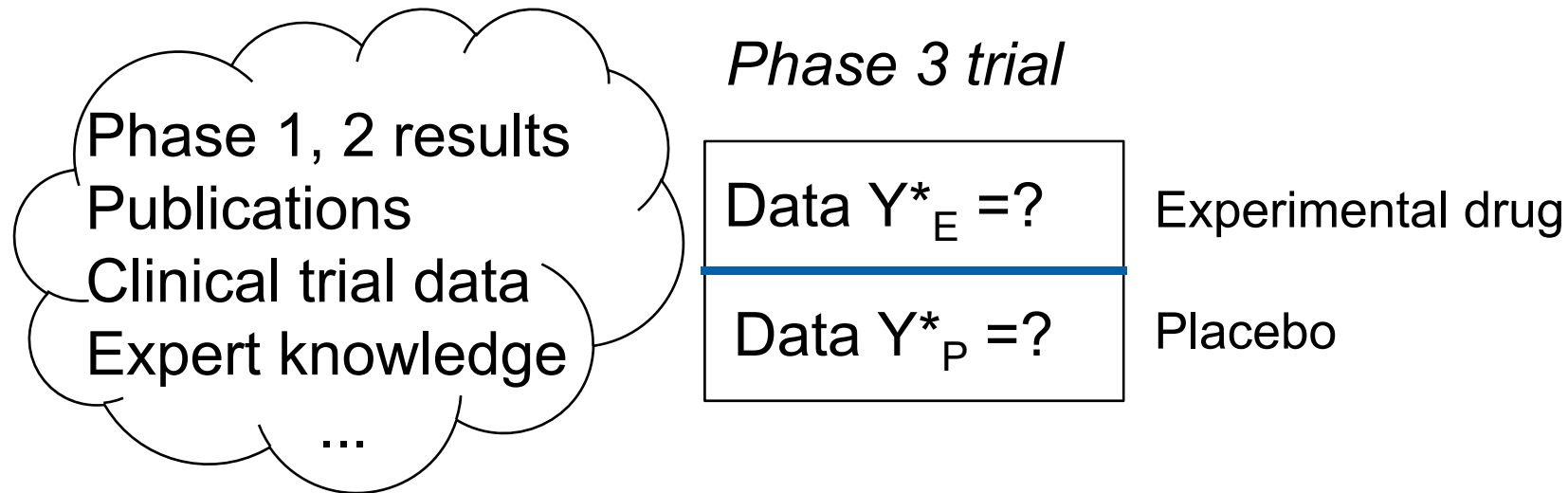
### Success in a ...

- Clinical trial
  - Statistically significant efficacy result
  - Observed response rate on drug > 60%
  - Less observed AE than in active control
  - ...
- Clinical development program
  - Target product profile – meet “base”/“upside” case
  - Drug approval
  - Drug reimbursement
  - ...

# Probability of Success

## *Planning a Phase 3 trial*

- Historical data/information available



- Success (yes/no) could be evaluated if data were known...  
E.g. success: p-value < 2.5% (one-sided)
- Uncertainty on data, hence uncertainty about success

**Probability of success (PoS)**      0-100%

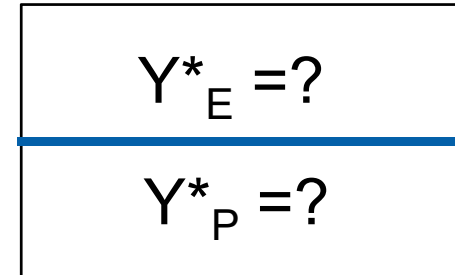


# Probability of Success

*Planning a Phase 3 trial: Evaluating PoS*

Bayesian framework

*Prediction:* predictive distribution of  
future data  $Y^* = (Y^*_E, Y^*_P)$



E.g. 10'000 times:

- sample  $Y^*(i)$  from predictive distribution
- Calculate success  $S(i)$  (1/0)
- Probability of Success  $PoS \approx \sum S(i) / 10'000$

In simple cases: analytical evaluation rather than simulation

# Probability of Success

*Example: interim analysis in Phase 3*

- Two phase 3 trials A and B running in parallel
  - endpoint survival
  - 379 events (n):  $\alpha=2.5\%$ , 90% power for log-hazard ratio  $\log(0.75)$
  - interim analysis when at least 150 deaths occurred in each of the trials
- Two historical trials
  - 1) a small proof-of-concept trial, and 2) a randomized phase 2 trial
- Interim decisions
  - based on probability of success (PoS)
  - stop phase 3 trial if  $\text{PoS} < 10\%$  (e.g.)
- Evaluating PoS without/with co-data
  - *Without*: e.g. for phase 3 trial A, use just interim data from trial A for PoS
  - *With*: e.g. for trial A, use also interim data from trial B and historical trials

# Probability of Success

*Example: interim analysis in Phase 3*

Data available at interim analysis for HR  $\theta$

Study	deaths	HR (95%-int)	
1. Proof-of-concept	8	$\theta_1$ 0.70 (0.18,2.80)	} Co-data
2. Phase 2	85	$\theta_2$ 0.75 (0.49,1.15)	
3. Phase 3 study A	162	$\theta_3$ 0.83 (0.61,1.13)	
4. Phase 3 study B	150	$\theta_4$ 0.78 (0.57,1.07)	

- **Success = statistical significance**

PoS = predictive power (Spiegelhalter et al., 1986)

- **Evaluating PoS for Phase 3 study B**

- classical conditional power  $CP(\theta_4) = p(\text{final p-value} < 0.025 \mid \theta_4, \text{interim data})$
- $PoS = \int CP(\theta_4) p(\theta_4 \mid \text{interim data}) d\theta_4$
- Posterior distribution  $p(\theta_4 \mid \text{interim data})$  may be evaluated without or with co-data
- With co-data:  $\theta_1, \theta_2, \theta_3, \theta_4 \mid \mu, \tau \sim N(\mu, \tau^2)$

# Probability of Success

*Example: interim analysis in Phase 3*

Study	deaths	HR (95%-int)	log(HR) (sd)	pr(HR<1)	PoS	ESS
stratified analyses						
1. Proof-of-concept	8	0.70 (0.18,2.80)	-0.36 (0.71)	0.69		8
2. Phase II	85	0.75 (0.49,1.15)	-0.29 (0.22)	0.91		85
3. Phase III study A	162	0.83 (0.61,1.13)	-0.19 (0.16)	0.88	0.45	162
4. Phase III study B	150	0.78 (0.57,1.07)	-0.25 (0.16)	0.94	0.64	150
co-data analysis						
3. Phase III study A	162	0.80 (0.63,1.04)	-0.22 (0.13)	0.95	0.51	254
4. Phase III study B	150	0.79 (0.61,1.01)	-0.24 (0.13)	0.97	0.65	252

ESS=effective sample size (number of events)

- PoS without co-data (stratified analyses) or with co-data
- Borrowing strength from co-data to support decision making

Neuenschwander et al. (2016)

# Probability of Success

*MAP or MAC?*

Two approaches for evidence synthesis

- Meta-Analytic-Predictive (MAP) is *prospective*
  - At design stage of current trial, perform MA of co-data and obtain distribution of  $\theta_*$  MAP Prior  $p(\theta_* | Y_1, \dots, Y_J)$
  - For the analysis, combine MAP prior with current trial data  $Y^*$
- Meta-Analytic-Combined (MAC) is *retrospective*
  - Perform a meta-analysis of all co-data and current trial data
  - Parameter of interest is the parameter in the actual trial  $\theta_*$   
 $p(\theta_* | Y_1, \dots, Y_J, Y^*)$
- MAP and MAC give identical results!
- PoS evaluation
  - At design stage, MAP has to be used
  - At analysis stage, more convenient of MAP or MAC can be used

# Conclusions

- Hierarchical models flexible and useful for
  - synthesis of evidence from various sources
  - extrapolation to target
- Bayesian framework natural for
  - Inclusion of prior information
  - Inference and prediction
- Scepticism on relevance of source data can be taken into account

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