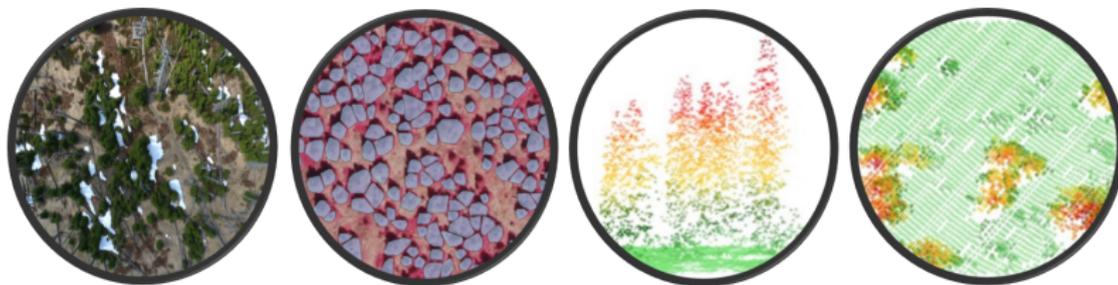


Predicting the Forest Development after Natural Disturbance using Airborne LiDAR



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- 1 Introduction
- 2 Remote Sensing
- 3 Spatial Analysis
- 4 Results
- 5 Conclusion

Introduction

- Forests are dynamic ecosystems shaped by anthropogenic and natural drivers
- Changes have effects on the ecological, economical and social value of forest ecosystems
- Increased public demands for forest services as well as climate change present new challenges for forest management

[image removed]

[Pretzsch, 2009]

- Integral part of forest ecosystems
- Strongly influence the structure, composition and functioning of forest ecosystems
- Influence the spatial and temporal patterns of forested landscapes

[image removed]

Throughout the 20th century the number of disturbance events from wind, wild fires and bark beetles increased in Europe
[Schelhaas et al., 2003, Seidl et al., 2014]

- Integral part of forest ecosystems
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[image removed]

Throughout the 20th century the number of disturbance events from wind, wild fires and bark beetles increased in Europe
[Schelhaas et al., 2003, Seidl et al., 2014]

[image removed]

Increasing forest disturbance damage in Europe [Seidl et al., 2014], Nature

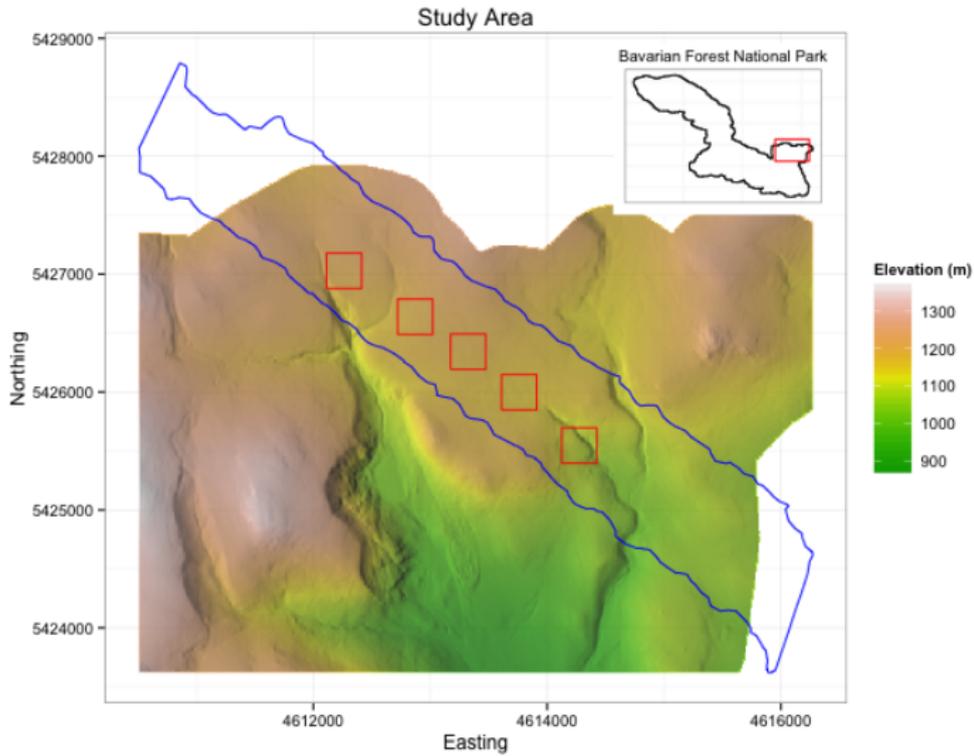
Natural forest development post-disturbed sites in Central Europe is only insufficiently documented

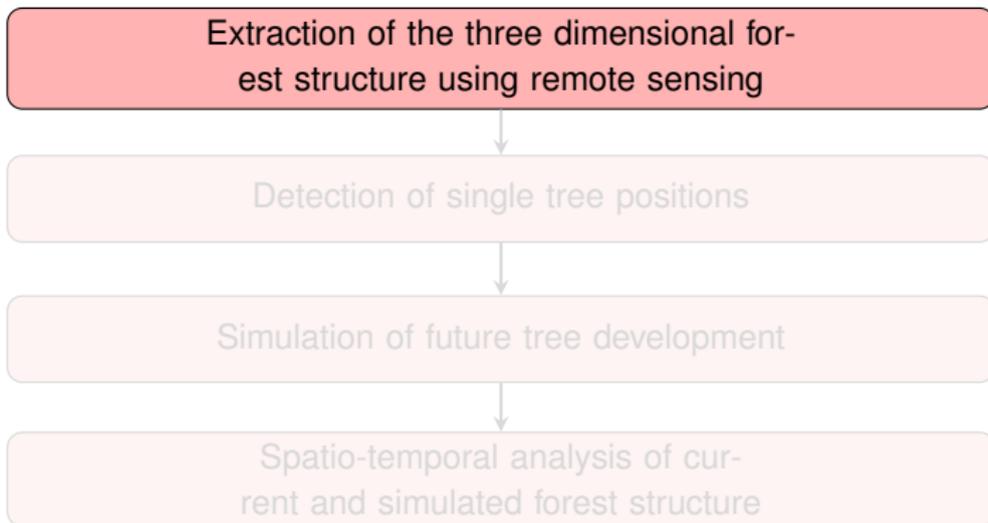
Questions:

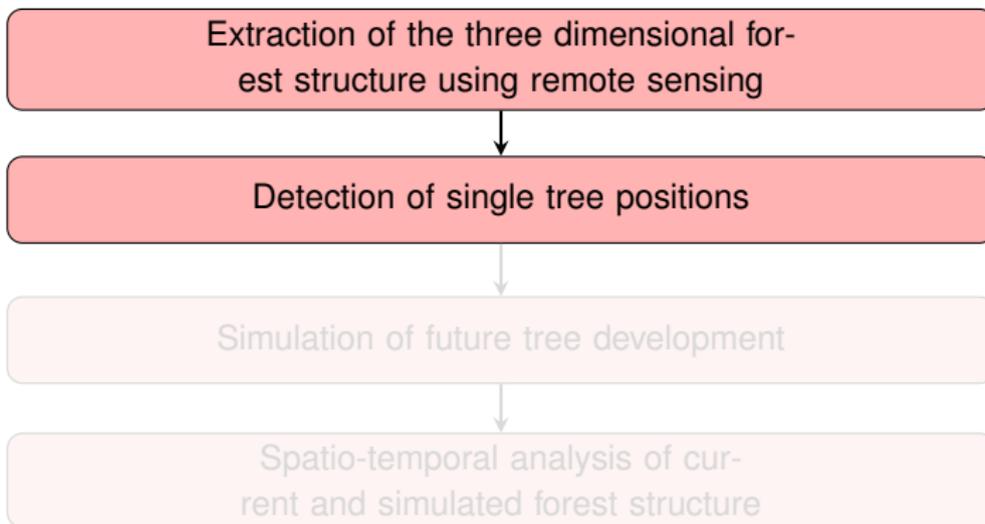
- How do natural forest evolve after natural disturbances?
- How is forest regeneration affected
- Ecological importance of early seral forests
- Effects on forest biodiversity, carbon sequestration, vitality

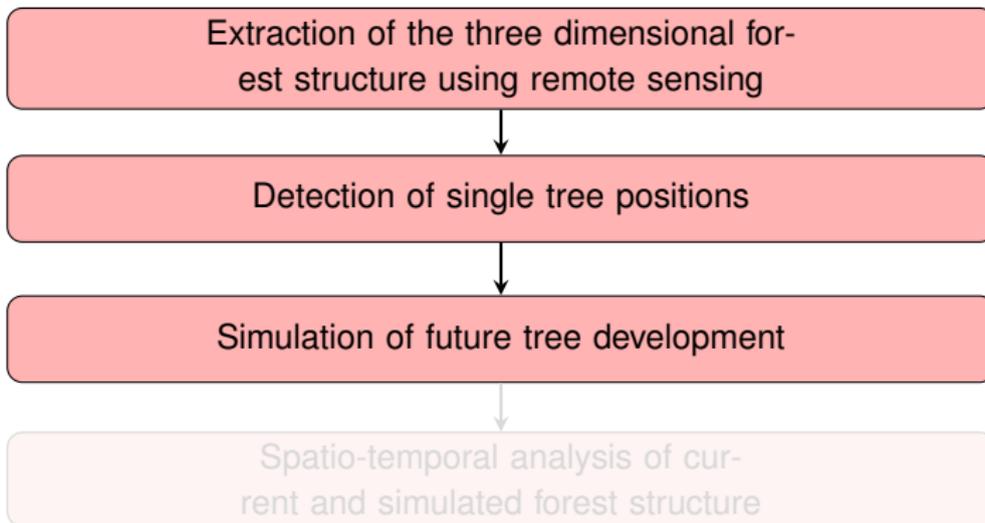
- Forest structure is *'the physical and temporal distribution of trees in a forest stand'* (Oliver1996)
- Important factor in the analysis and management of forest ecosystems
- Indicator für ecosystem functions
- Basis for biodiversity evaluation

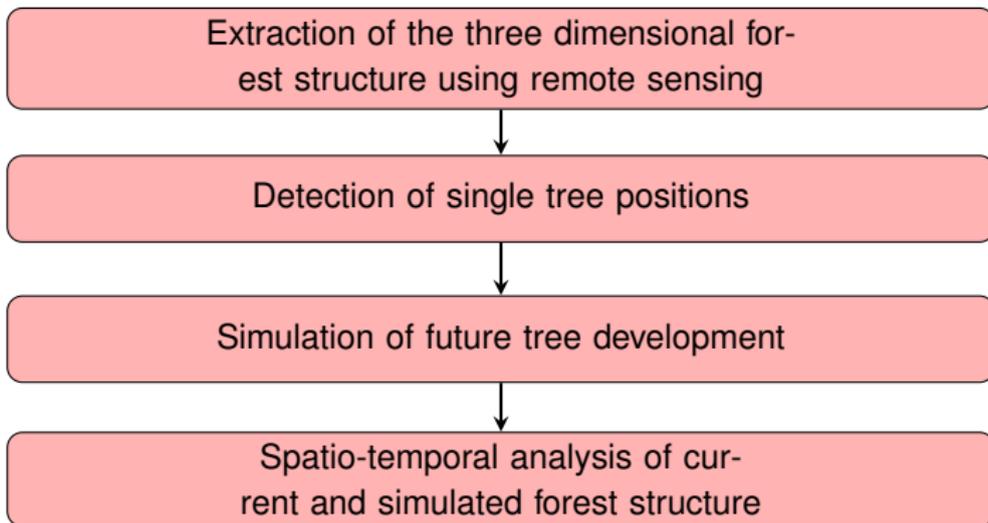
[image removed]





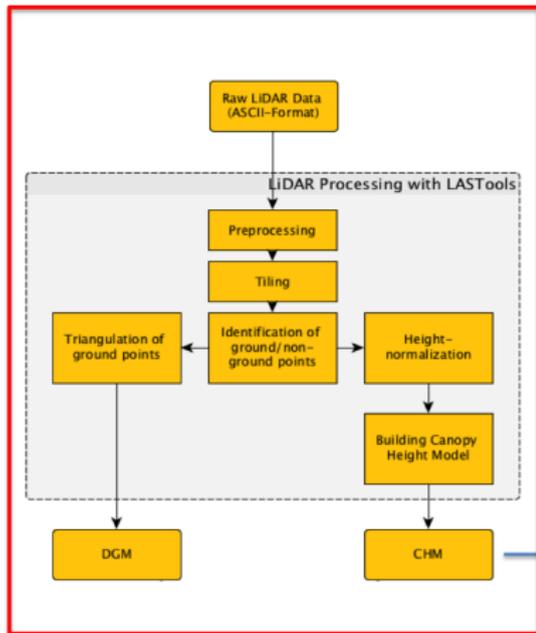




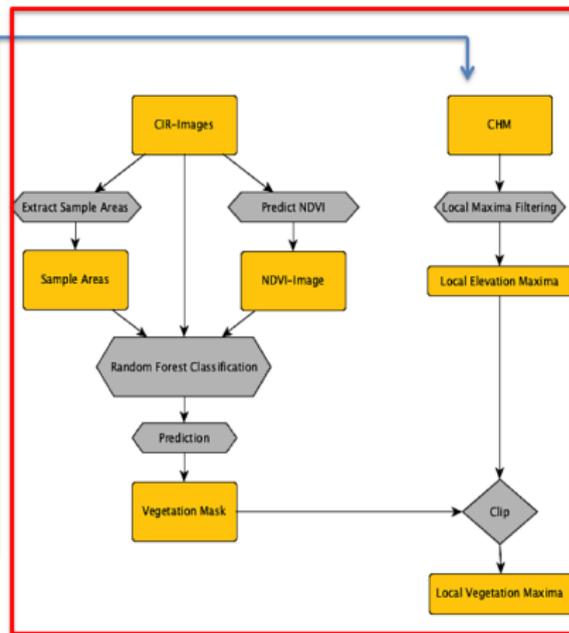


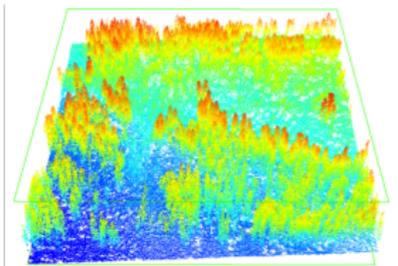
Remote sensing

LiDAR-Processing

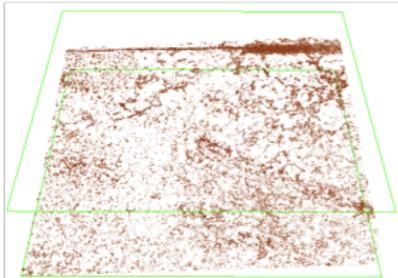


Extraction of single tree positions

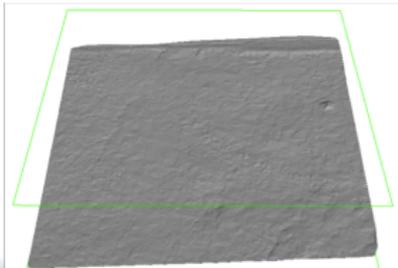




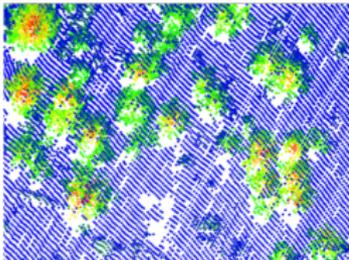
Identification of
Ground Points



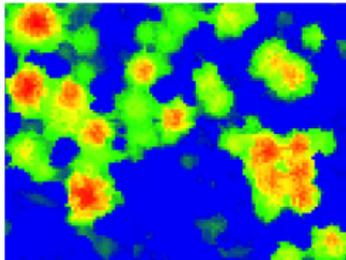
Triangulation of
Ground Points



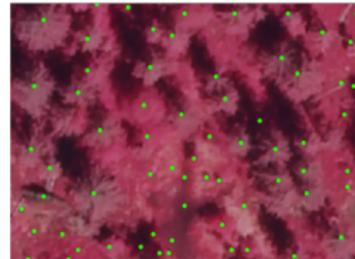
LiDAR-Point Cloud



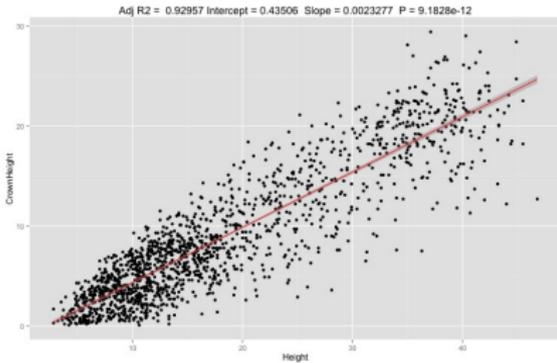
Canopy Height Model



Single Tree Positions

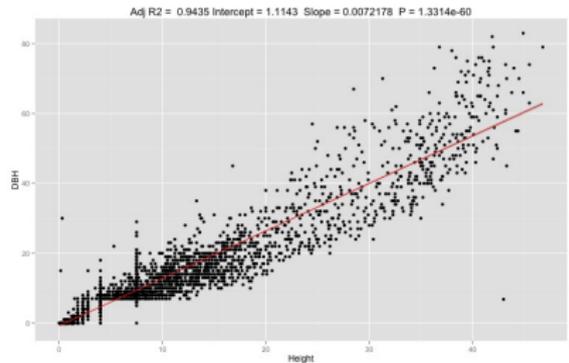


DBH



Adj R2 = 0.9435 Intercept = 1.1143
Slope = 0.0072178 P = 1.3314e-60

Crown base height

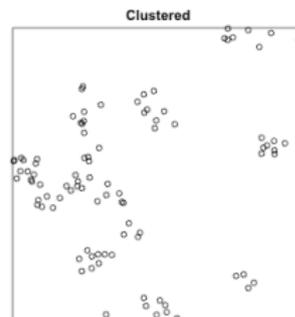
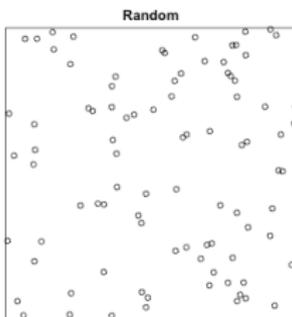
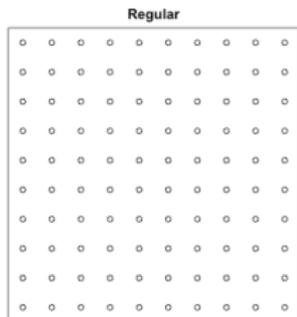


Adj R2 = 0.92957 Intercept = 0.43506
Slope = 0.0023277 P = 9.1828e-12

Spatial Analysis

- Arrangement of plants in natural vegetation is usually not random
- Spatial patterns formed by (i) morphological , (ii) environmental and (iii) phytosociological factors [Dale, 2002].
- Spatial statistics allow the identification and analysis of these spatial patterns
- Does a spatial pattern exhibit a tendency towards clustering or regularity?
- Over what spatial scales do patterns exist?

- **Point Pattern:** data set consisting of locations x_i of all events of a particular kind within a given region [Diggle, 2014]
- **Point Process:** underlying stochastic model



→ Aim: comparing te observed data to the null hypothesis of complete *spatial randomness (CSR)*

- **Complete spatial randomness (CSR)** : the points are independently distributed in space
- CSR assumes that points follow a **homogeneous Poisson-process** over the study area
 - 1 The number of points in any region B follows the Poisson distribution with mean $\lambda \nu(B)$ (i.e. the intensity of events will not vary across the region)
 - 2 Given n trees in B , their positions behave as an independent sample from the uniform distribution in B (i.e. there is no interaction between events)

$$p_n = \frac{\lambda^n}{n!} * e^{-\lambda} \quad (1)$$

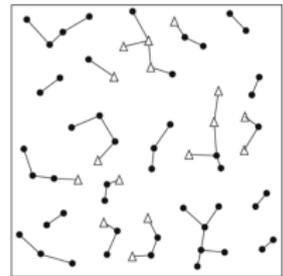
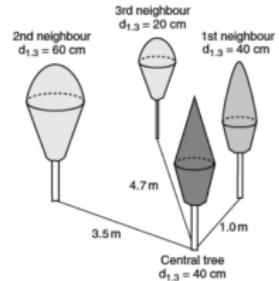
Clark and Evans index [Clark and Evans, 1954]

- based on the distances of each tree to its nearest neighbor
- observed distance to the nearest neighbor is related to the expected mean distance

$$R = \frac{\bar{r}_{observed}}{E(r)} \text{ where } E(r) = \frac{1}{2 * \sqrt{\frac{N}{A}}} \quad (2)$$

$R > 1$: tendency towards regularity

$R < 1$ clustered pattern



PRETZSCH (2009)

Diameter differentiation index

- Describes the size difference between the tree i and its n nearest neighbor j ($j = 1, \dots, n$)

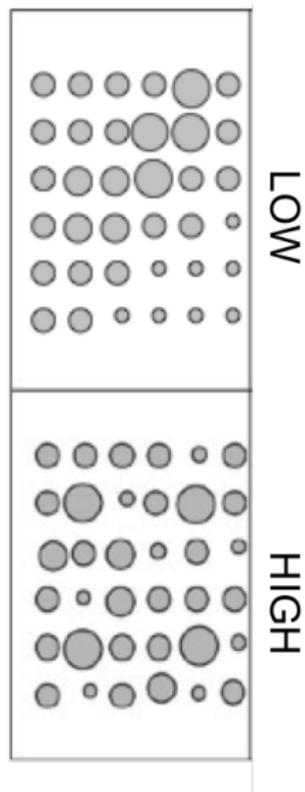
$$T_{ji} = 1 - \frac{\min(DBH_i, DBH_j)}{\max(DBH_i, DBH_j)} \quad (3)$$

$0 \leq T < 0.3$ smallest tree diameter at breast height is 70 % or more of neighboring tree's size

$0.3 \leq T < 0.5$ 50-70 % or more of neighboring tree's size

$0.5 \leq T < 0.7$ 30-50 % or more of neighboring tree's size

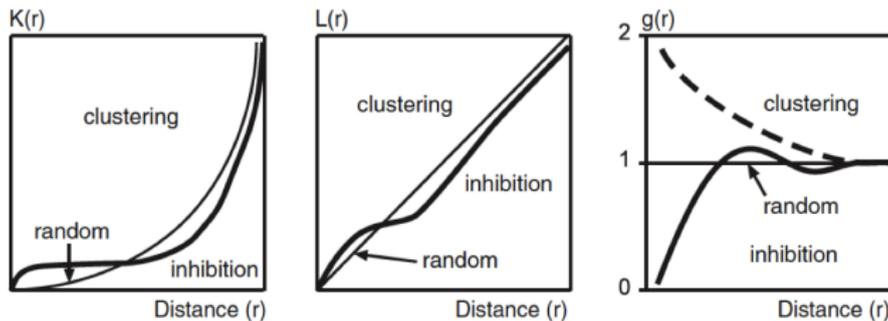
$0.7 \leq T < 1$ less than 30% of neighboring tree's size



Limitation of nearest neighbor method: Considers only variation in an area defined by next neighbours

Second-order statistics

- Exploration of spatial patterns at multiple distances
- Information about the tendentious changes in the surrounding structure
- Assumes isotropy over the region



[Pretzsch, 2009]

Ripleys K-Function

$K(r) = \lambda^{-1} E[\text{number of extra events within distance of a randomly chosen event}]$

$$K_{est}(r) = \lambda^{-1} \sum_{i=1}^n \sum_{j \neq i} w(l_i, l_j) \frac{I(d_{ij} < r)}{N} \quad (4)$$

Under the assumption of CSR: $K(r) = \pi * r^2$

Basic idea

- 1 Construct a circle of radius r around each point
 - 2 Count the number of other points fallin inside circle
 - 3 Increment r and repeat computation
- L-function by Besag (1977) is a transformation of the Ripley's K-function

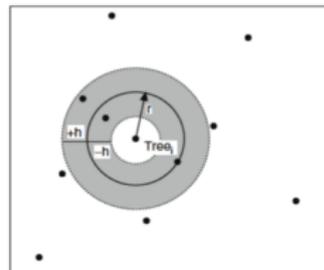
$$L(r) = \sqrt{\frac{K(r)}{\pi}} \text{ for } r \leq 0 \quad (5)$$

PairCorrelation-Function

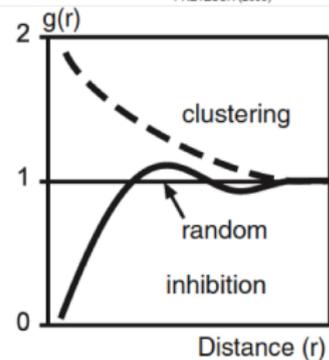
- Uses rings instead of cumulative circles
- After each increment trees located within a ring are counted and weighted more heavily the closer they are to the mean radius r
- allows to identify the distance at which deviations from the random distribution occur

$$g(r) = \frac{dK(r)}{2\pi r} \quad (6)$$

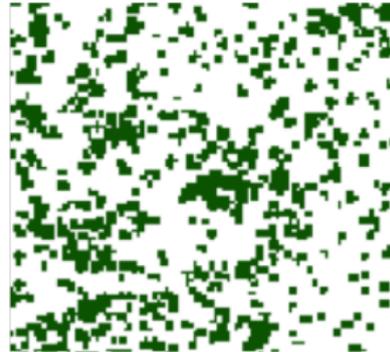
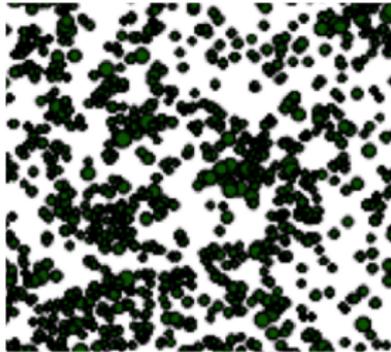
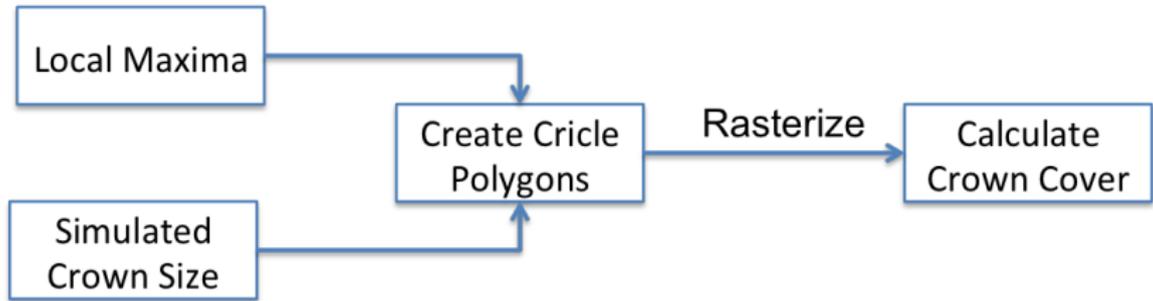
- $g(r) = 1$: trees are distributed random
- $g(r) < 1$: tendency towards regularity
- $g(r) > 1$: tendency towards clustering



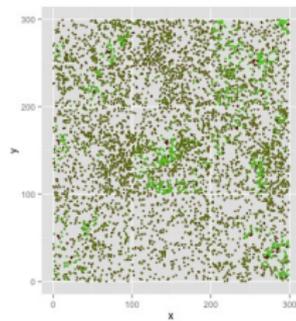
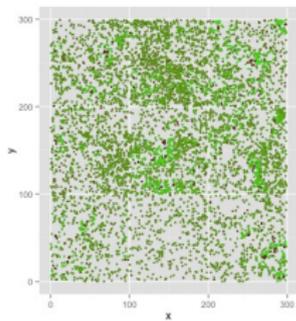
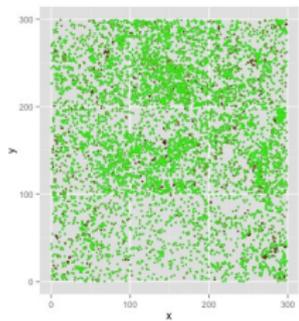
PRETZSCH (2009)



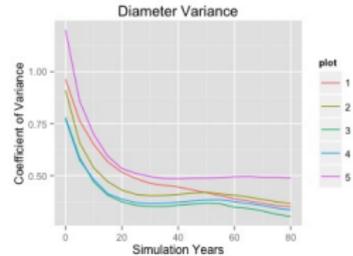
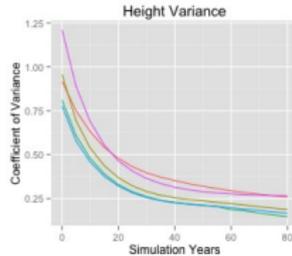
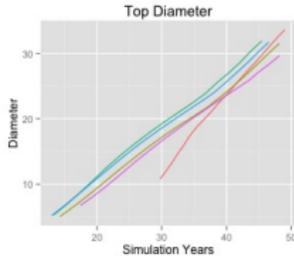
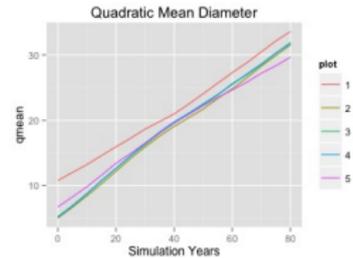
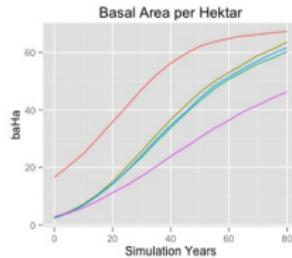
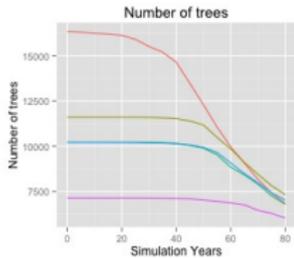
Crown Cover

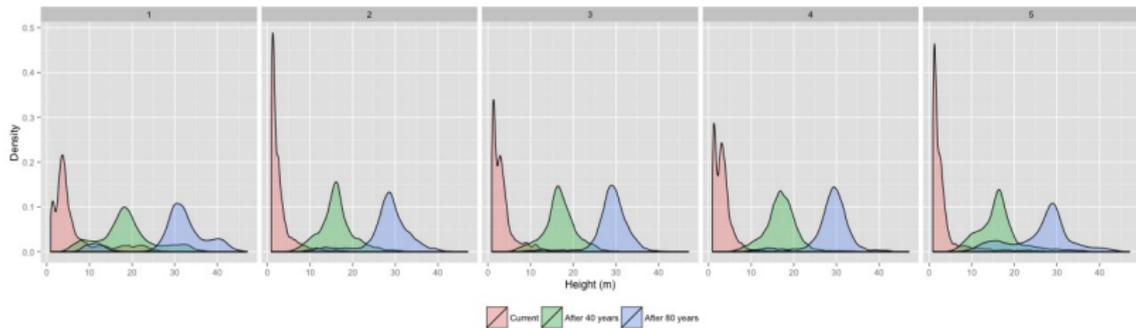


Results



Basic stand statistics





	Site	Number of Trees	Basa Areal	Mean DBH	Mean Height	Height Variation	R	TD1
Initial Values	1	16,343	16.61	7.77	6.42	4.30	1.52	0.25
	2	11,611	2.59	3.74	3.03	1.87	1.46	0.26
	3	10,227	2.46	4.14	3.43	1.92	1.42	0.26
	4	10,231	2.42	4.12	3.44	1.67	1.46	0.29
	5	7,146	2.84	4.32	3.47	2.49	1.40	0.30
Sim. Values	1	6,830	67.22	31.69	30.50	5.28	1.50	0.25
	2	7,327	63.54	29.60	28.25	3.63	1.52	0.31
	3	6,793	60.31	30.52	28.94	2.81	1.48	0.27
	4	7,020	61.63	30.07	28.65	3.17	1.52	0.29
	5	6,029	46.27	26.64	26.40	5.39	1.42	0.32

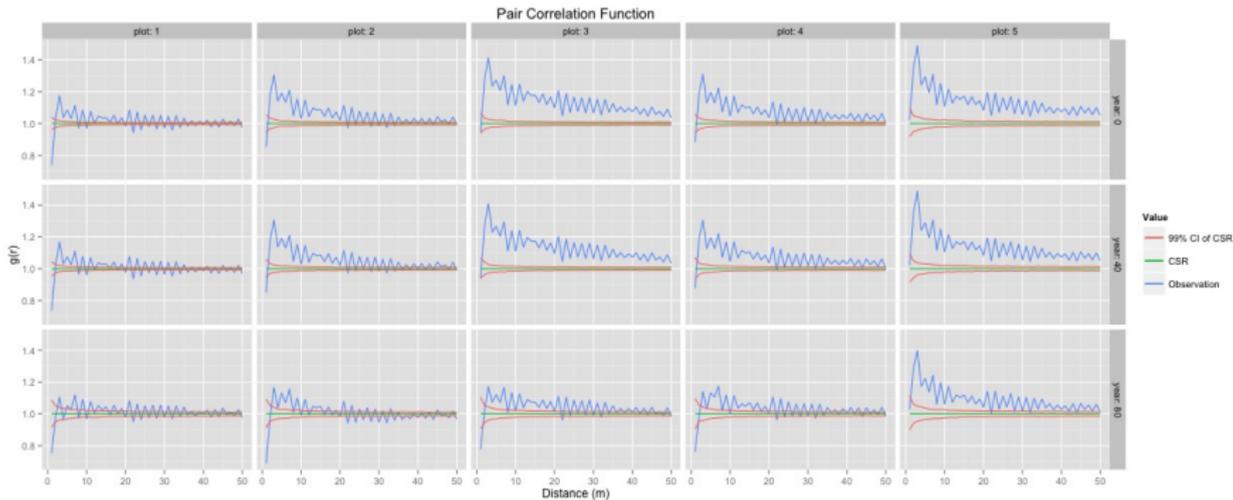
Table: Initial and simulated stand statistics for each test site

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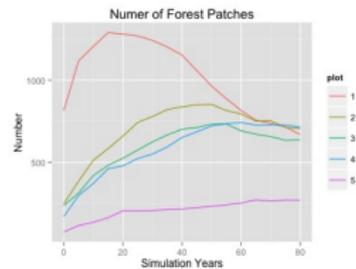
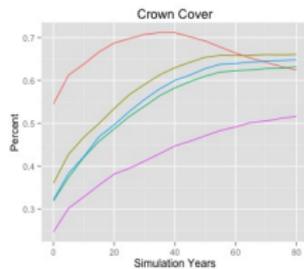
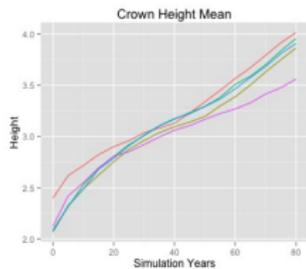
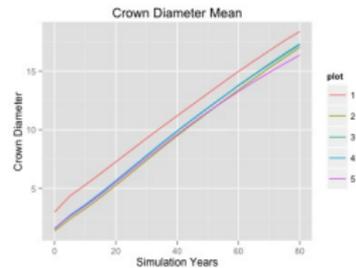
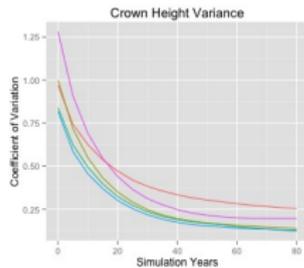
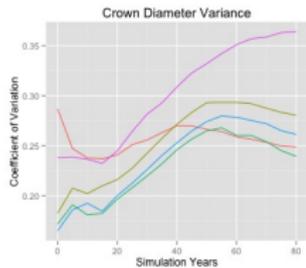
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Table: Initial and simulated stand statistics for each test site



Crown Stats



The findings of the study revealed that the post-disturbed sites in the BFNP

- show a high degree of natural regeneration
 - exhibited a heterogenous tree arrangement, characterized by a diverse structure of neighboring patches of juvenile and few old-growth trees
 - show regular pattern at very small distances and clustering of tree patterns up to 5 m in all test sites (2 sites show clumped patterns even up to 50 m)
 - tendency towards regular patterns with increasing distance
 - exhibit different succession pathways
- aggregated regeneration patterns indicated a concentration of tree individuals on favorable microsites
- patterns may arise from the strong linkage between spruce regeneration and coarse woody debris

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- patterns may arise from the strong linkage between spruce regeneration and coarse woody debris

- Results confirmed the usefulness of airborne LiDAR data to investigate forest structural attributes
- Structure is not only the result of the past disturbance events, but also a major factor influencing the regeneration process
- Under certain conditions early-seral forest can establish complex structures normally associated with old-growth forests
- There is no single succession pathway



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**Thank you for your
attention!**