

The „Hohenheim-Gülzow-method“

**for analysis of series of trials
as basic procedure with PIAFStat and SAS
in a regionalized field trial system**

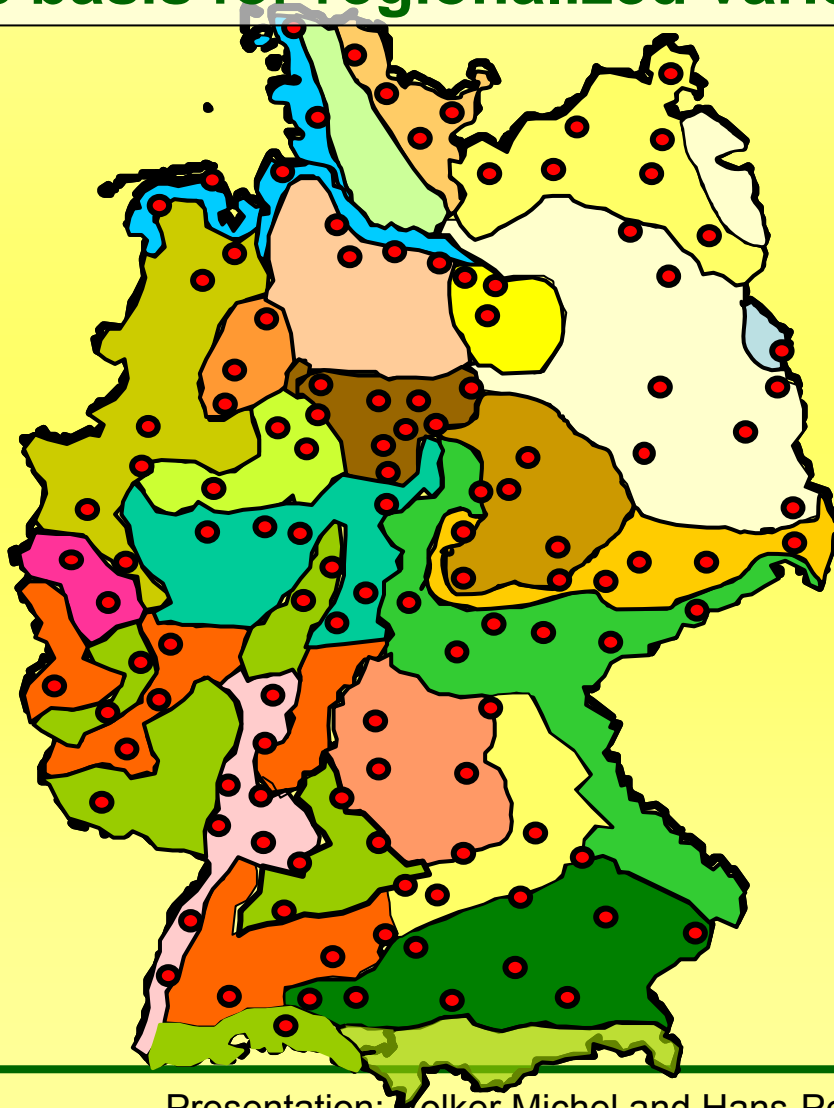
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Post-registration **State Variety Trials** in Germany (*VCU testing*) as basis for regionalized variety recommendations

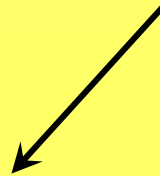


- locations of trials with wheat in the
 - federal states
 - **growing-regions**

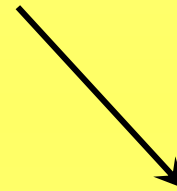


Incentive to improve analysis systems in competitive variety testing

number of trials is decreasing



**loss in regionalized
specification of
varieties ?**



**loss in earliness
and precision of
estimation ?**



Main possibility: enlarge the data basis

In the past the analysis systems of German states involved only:

- State Variety Trials of each individual state
- only 2 or 3 years
- only the balanced data - subset

in the interest of earliness and precision it is better to enlarge the dataset by using all available regional data →



Enlarge the data basis

data basis can be enlarged by:

- using trials for registration by the Federal Office or from other pre-registration trial systems
- using more than three years
- using trials from neighbouring regions

but: such long-term series of trials in variety testing involve many complex and complicated system-inherent characteristics →

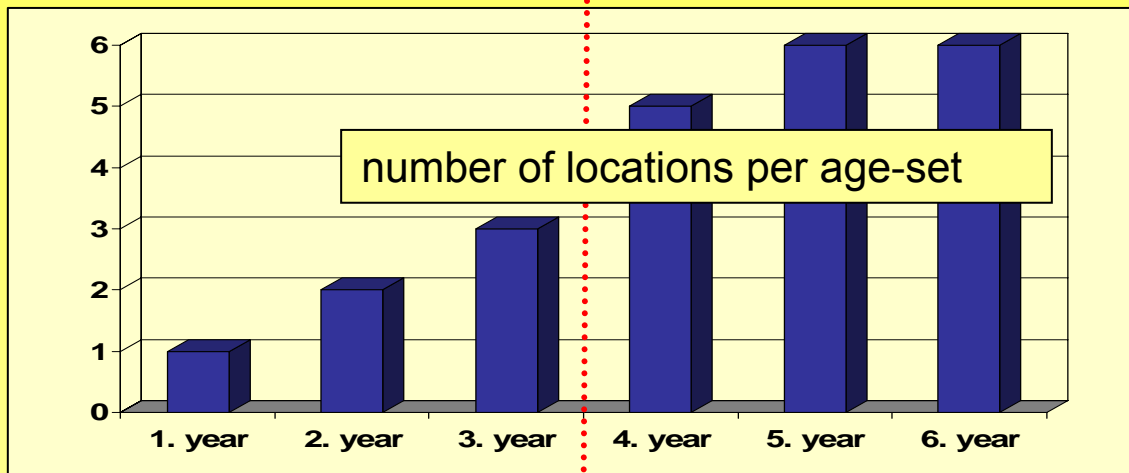
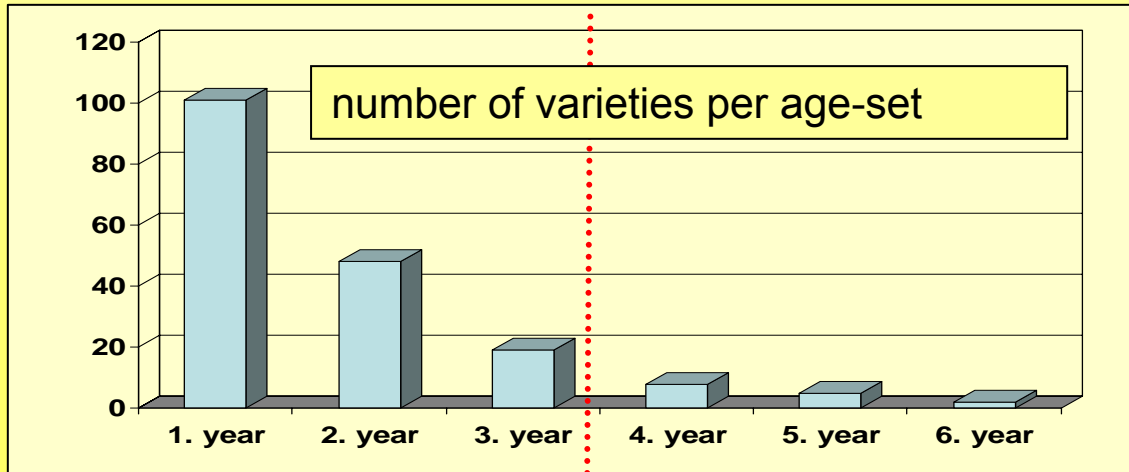


The H-G-method comprises the following features

- a) **unbalancedness**
- b) regional neighbourhood and similarity
- c) heterogeneous standard errors
- d) non-additive data behavior



a) Unbalancedness



before ← → after

REGISTRATION

selection process

different period of trial-process per variety

only few data per region in the early trial phase

even these data are useful to assess the interactions with years

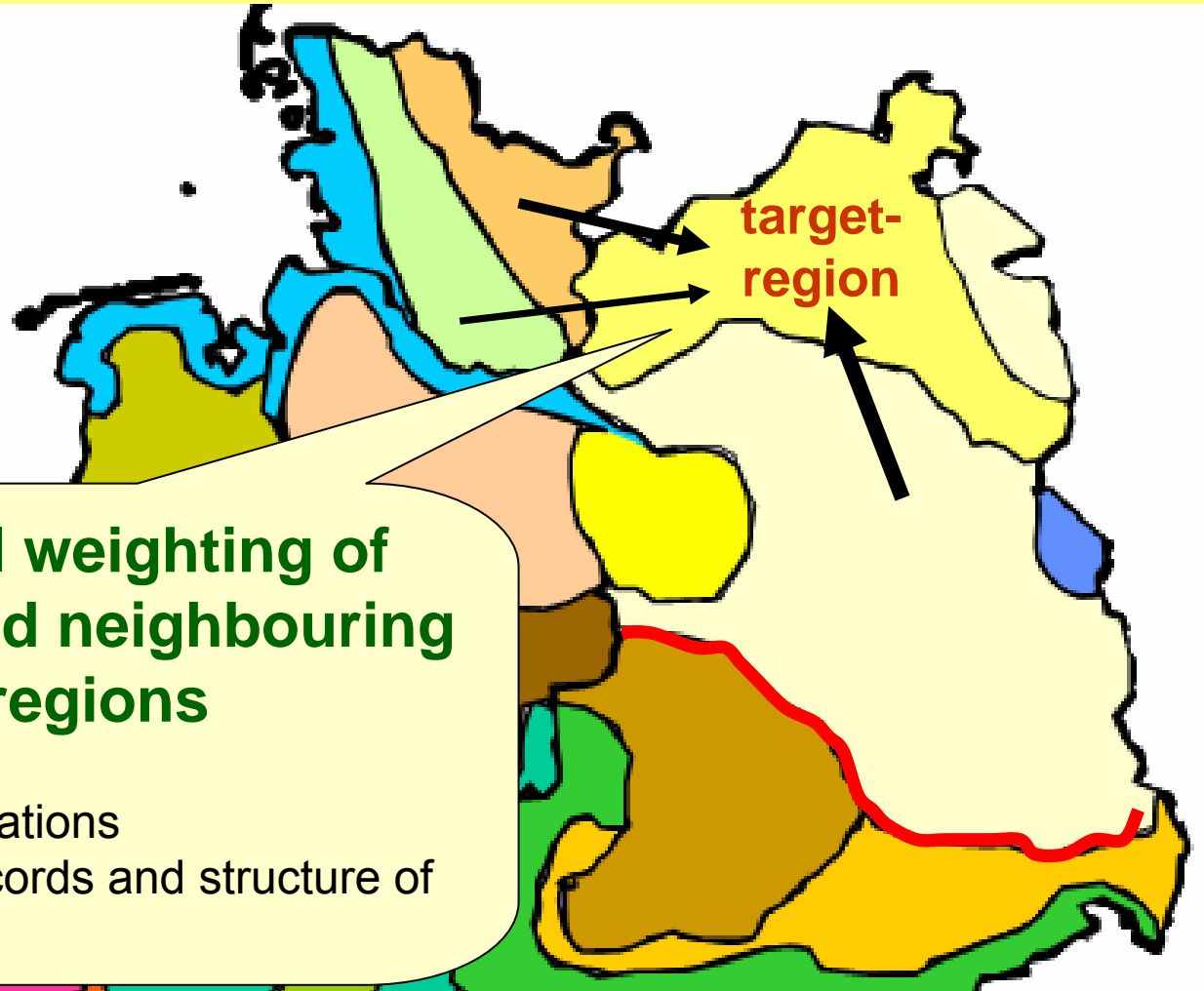


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b) Regional neighbourhood and similarity



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Statistical features of the H-G-method

- a) unbalanced data
- b) regional neighbourhood and similarity
- c) heterogeneous standard errors
 - **two-stage analysis**
 - **multi-environmental mixed model**
- d) non-additive data behavior
 - **Box-Cox transformation**



Two-stage analysis (weighting of trials)

Stage 1: Compute adjusted means and standard errors (s.e.) per trial

Stage 2: Fit mixed model across series, fixing error variance at $(\text{s.e.})^2$ from Stage 1:

$$\mathbf{y} = \mathbf{X}\mathbf{b} + \mathbf{Z}\mathbf{u} + \mathbf{e} \quad \text{with} \quad \mathbf{e} \sim N(\mathbf{0}, \mathbf{R}),$$

where \mathbf{R} is diagonal with diagonal elements equal to $(\text{s.e.})^2$



Box-Cox transformation of data

$$z = \begin{cases} (y^\phi - 1)/\phi & \text{for } \phi \neq 0 \\ \log(y) & \text{for } \phi = 0 \end{cases}$$

where ϕ is a transformation parameter.

$\phi = 1$: Do not transform \Rightarrow Additive effects

$\phi = 0$: Log-transform \Rightarrow Multiplicative effects

$$\text{Log}(a \cdot b) = \log(a) + \log(b)$$



The multi-environment mixed model

$$V + L \bullet Y \bullet T : V \bullet L + V \bullet Y + V \bullet L \bullet Y + V \bullet L \bullet Y \bullet T ,$$

where

V = variety

L = location

Y = year

T = trial (may be several per L × Y combination)

Effect L • Y • T fixed

⇒ no recovery of inter-trial information



Extension to sub-divided target region

Replace L by

$$R/L = R + R \bullet L \quad ,$$

where

R = region

L = location, nested within region



Variety effect, nested in regions

Variety effect, nested in regions: V•R

Effects for variety correlated between regions:

$$\text{var} \begin{pmatrix} V \bullet R1 \\ V \bullet R2 \\ V \bullet R3 \\ V \bullet R4 \end{pmatrix} = \Sigma_g$$

Different structures for Σ_g , e.g. compound symmetry, factor-analytic, heterogeneous



Compute adjusted means for V*R

(1) Compute adjusted means for V•R

⇒ y_{ir} for variety i regions $r = 1, 2, \dots$

(2) Combine across regions as weighted mean

Yield estimate: $E_i = w_{i1} \times y_{i1} + w_{i2} \times y_{i2} + \dots$



Compute adjusted means for $V \cdot R$

Objective: Minimize

“Error” = “Estimate – true value ($V \cdot R$)”

⇒ Mean squared error (MSE)

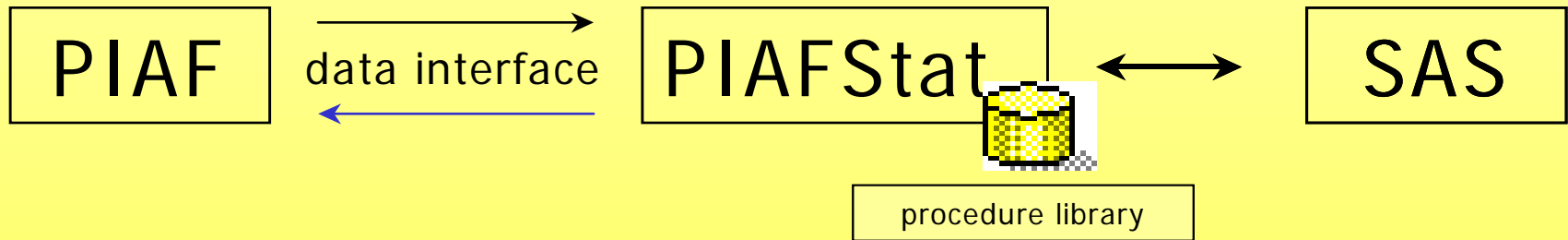
Two variants:

(1) $\sum_i(w_{ir}) = 1$

(2) No constraint on w_{ir} (⇒ BLUP)



Integration in the software-concept of PIAF



PIAFStat:

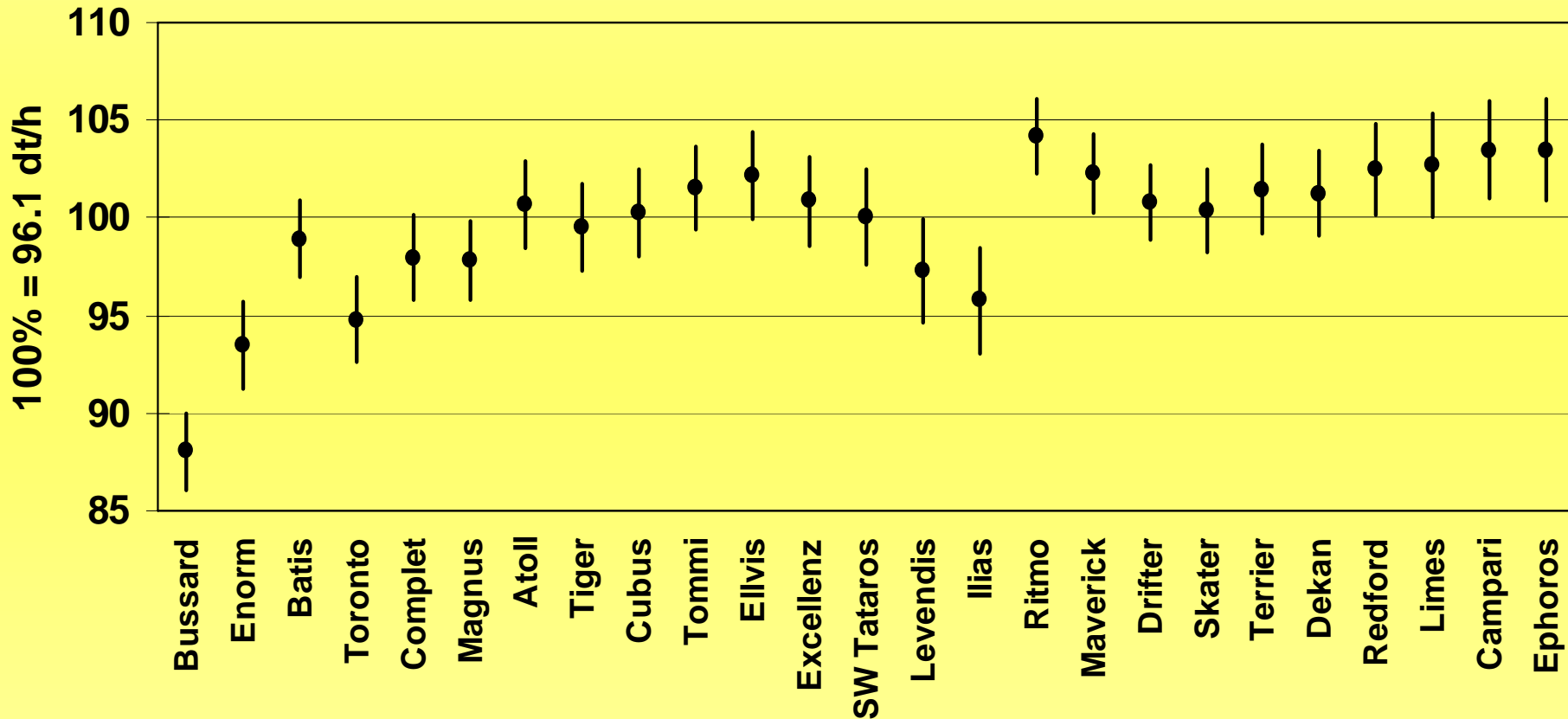
controls the statistical analysis;

connects PIAF and SAS by the procedure library of analysis algorithms

Sort	Name	Label	Autor
9999	MW	Hohenheim-Güzlzower Serienauswertung - Bestimmung der Mittelwerte	Michel / Zenk / Möhring / Piepho
9999	PHI	Hohenheim-Güzlzower Serienauswertg. - optimale Datentransformation	Michel / Zenk / Möhring / Piepho
9999	VK	Hohenheim-Güzlzower Serienauswertung - Varianzkomponenten	Michel / Zenk / Möhring / Piepho

Output of PIAFStat-procedure „MW“

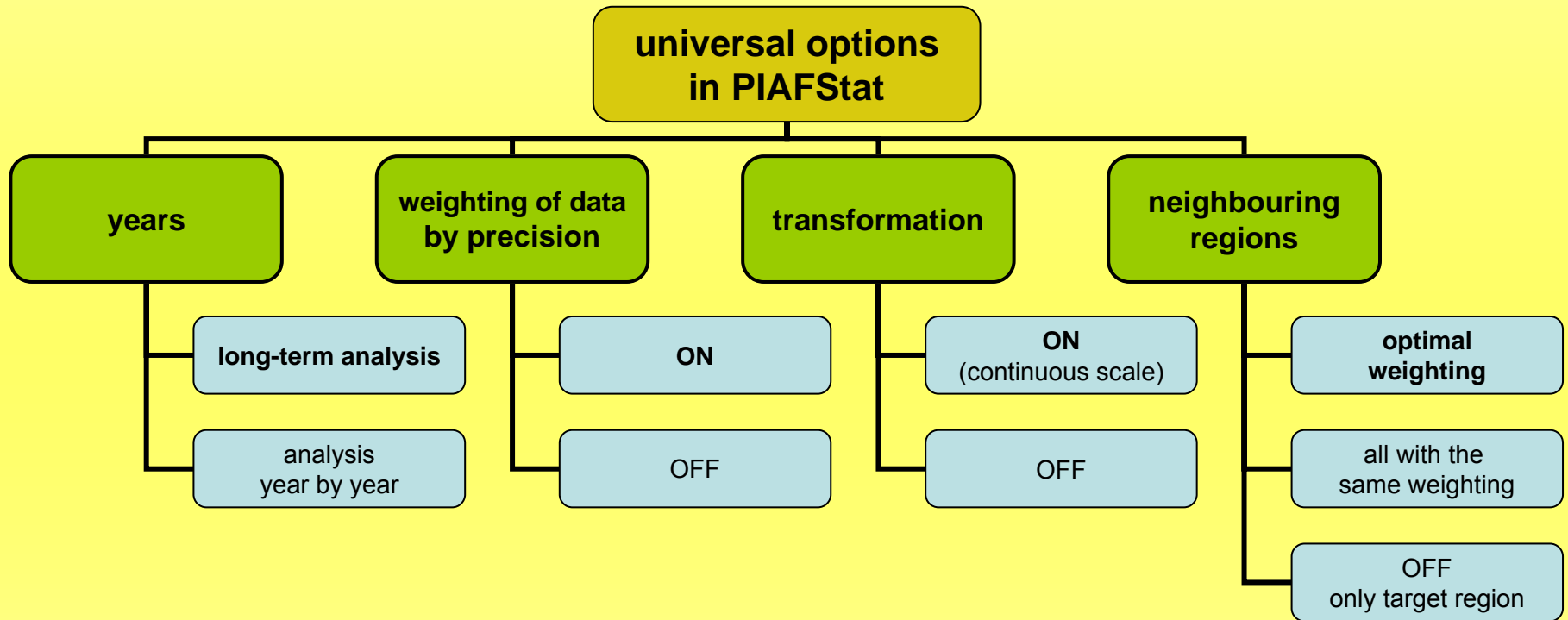
Estimated means and confidence intervals for paired comparisons



„Means with non-overlapping intervals are significantly different according to a t-test.“
 Hochberg et al., 1982 and Piepho, 2000



„Hohenheim-Gülzow-method“ as the basic procedure in the analysis of all our series of trials



Summary (1)

- Number of trials has been reduced in German variety testing. There is an increased need to optimally exploit all information available from variety trials.
- The Hohenheim-Gülzow-method increases the earliness and precision of regional variety recommendations.
- The database can be enlarged by using unbalanced long-term series, including pre-registration trial systems and trials from neighbouring regions with optimal weighting.
- The method comprises the following features:
 - unbalancedness,
 - regional neighbourhood and similarity,
 - heterogeneous standard errors,
 - non-additive data behaviour.



Summary (2)

- Key statistical features are:
 - two-stage analysis,
 - Box-Cox transformation of data,
 - multi-environment mixed model,
 - handling of unbalancedness,
 - overlapping regionalization and optimal weighting of neighbouring regions.
- The method has been integrated in the procedure library of PIAFStat as a modul of the PIAF system.
- „Hohenheim–Gülzow-method“ is the basic procedure in the analysis of all series of trials.
- Ministers of Agriculture decided, that this method is going to be standard in the post-registration variety testing in Germany.
- In the federal states of Mecklenburg-Western Pomerania and Bavaria this has already been successfully implemented.

